

## AN EXISTENCE RESULT FOR A FREDHOLM-TYPE INTEGRAL INCLUSION

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**Abstract.** We consider a nonconvex integral inclusion of Fredholm type and we prove a Filippov type existence theorem by applying the contraction principle in the space of selections of the multifunction.

**Key Words and Phrases:** integral inclusions, contractive set-valued maps, fixed point.

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